

# Heavy Flavour Jets with LHCb

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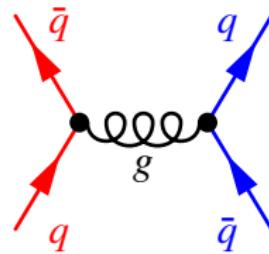
## EDINBURGH SEMINAR

# QCD at the LHC

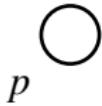
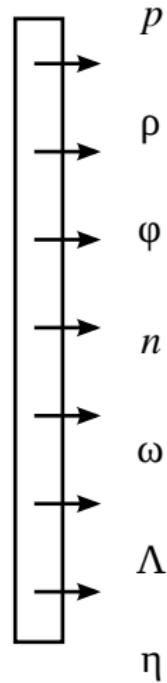
14 TeV



100 GeV

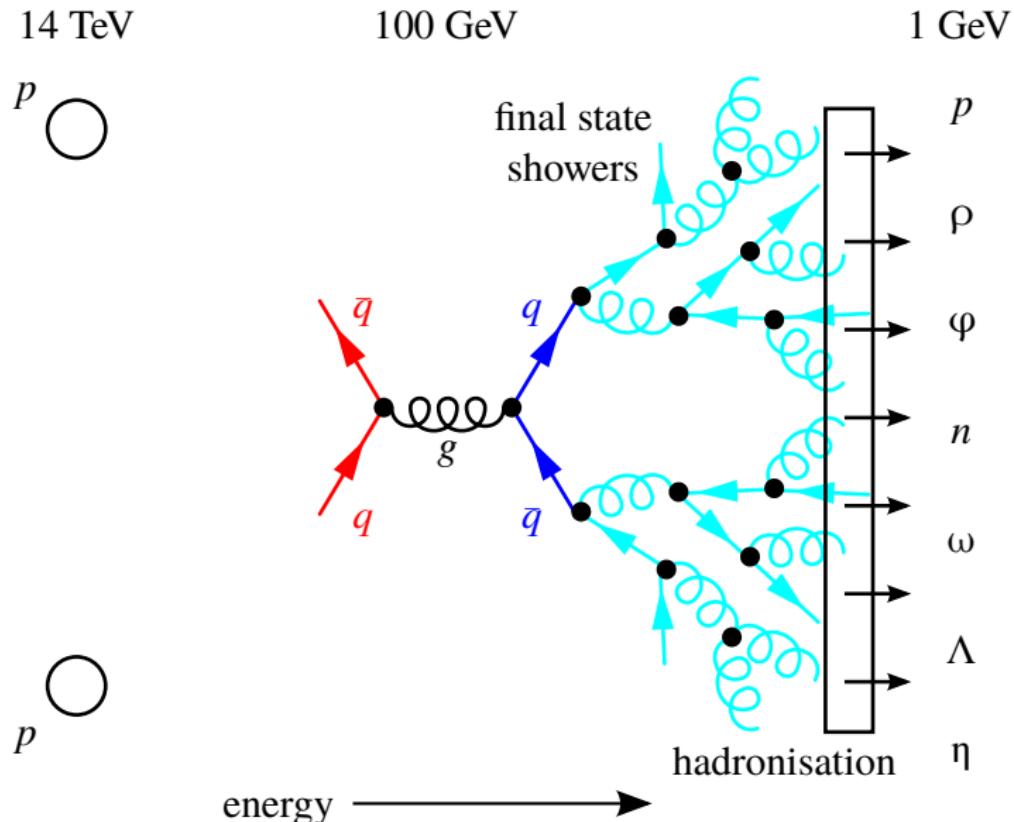


1 GeV

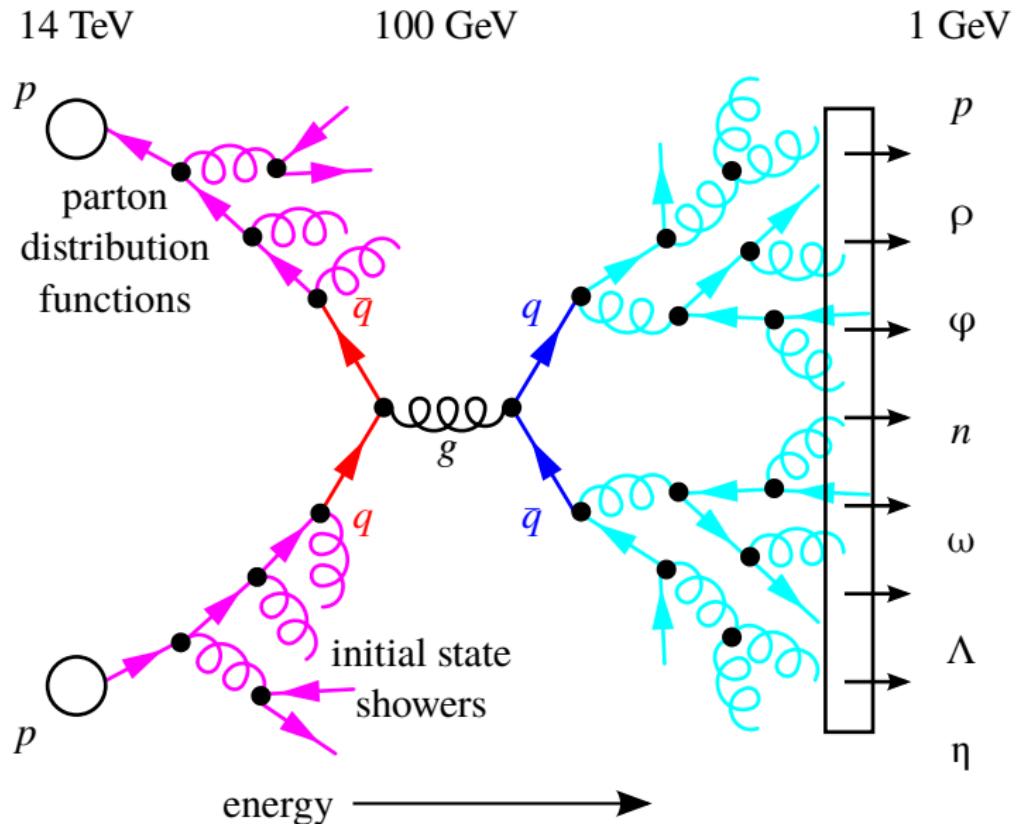


energy →

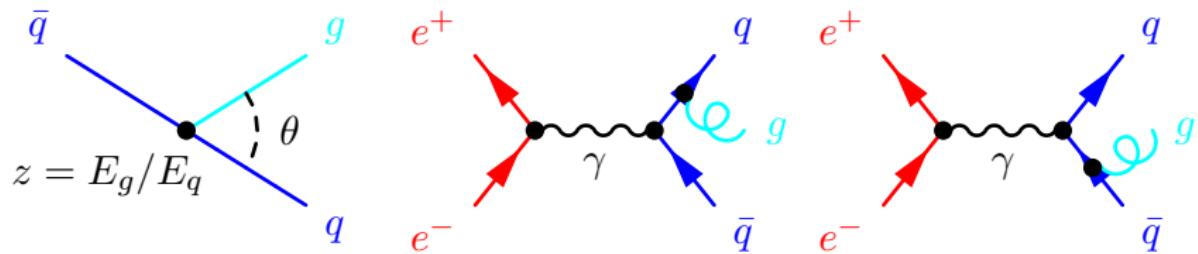
# QCD at the LHC



# QCD at the LHC



# Factorising QCD



$$d\sigma \approx \sigma \left( \frac{2 d \cos \theta}{\sin^2 \theta} \right) \left( \frac{\alpha_s}{2\pi} \right) \left( \frac{N_c^2 - 1}{2N_c} \right) \left( \frac{1 + (1-z)^2}{z} \right) dz$$

- factorise into general form given any splitting kernel  $\mathcal{P}_i$

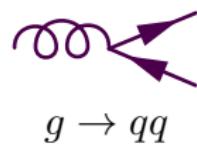
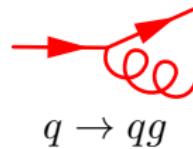
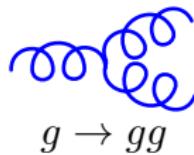
$$d\sigma \approx \sigma \sum_i \frac{d\theta^2}{\theta^2} \mathcal{P}_i(z, \alpha_s) dz$$

- diverges when **collinear** ( $\theta \rightarrow 0, \pi$ ) or **infrared** ( $z \rightarrow 0$ )

# Sudakovs and Splitting Kernels

$$\Delta(Q_1^2, Q^2) = \exp \left[ - \int_{Q^2}^{Q_1^2} \frac{1}{q^2} \int_{Q_0^2/q^2}^{1-Q_0^2/q^2} \mathcal{P}_i(z, \alpha_s) dz dq^2 \right]$$

- ① pick a random number  $r \in [0, 1]$
- ② solve  $\Delta(Q_1^2, Q^2) = r$  for  $Q^2$
- ③ if  $Q > Q_0$  generate emission and repeat from ①
- ④ if  $Q \leq Q_0$  terminate shower



$$\frac{1-z}{z} + \frac{z}{1-z} + z(1-z)$$

$$\frac{1-z}{z} + \frac{z}{2} - 2\mu$$

$$z^2 + (1-z)^2 + \mu^2$$

# Reverse Engineering with Jets

- unfold final state particles to initial hard partons
  - ①** **collinear** safe → collinear emission changes nothing
  - ②** **infrared** safe → soft emission changes nothing
  - ③** insensitive to non-perturbative effects
  - ④** applicable to both parton and hadron level
- inclusive sequential clustering is algorithm of choice at LHC

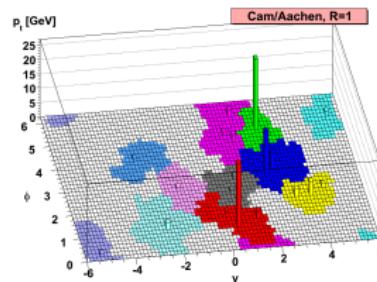
$$d_{ij} = \min(p_{\text{Ti}}^k, p_{\text{Tj}}^k) \frac{\Delta R_{ij}^2}{R^2}, \quad d_{iB} = p_{\text{Ti}}^k$$

- select minimum  $d$
- if  $d_{ij}$ , combine particle  $i$  and  $j$
- if  $d_{iB}$ , consider particle as jet and remove from clustering
- terminate if no particles otherwise return to ①

# Flavours of Sequential Clustering

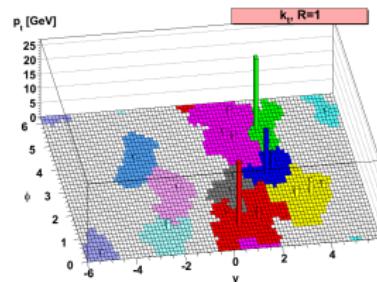
Cambridge/Aachen

*arXiv:1111.6097*



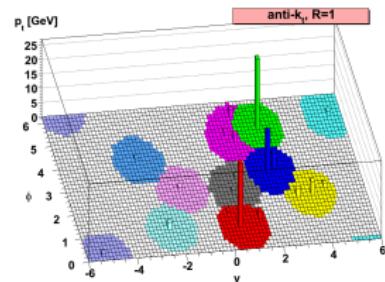
$k = 0$

$k_t$



$k = 2$

anti- $k_t$



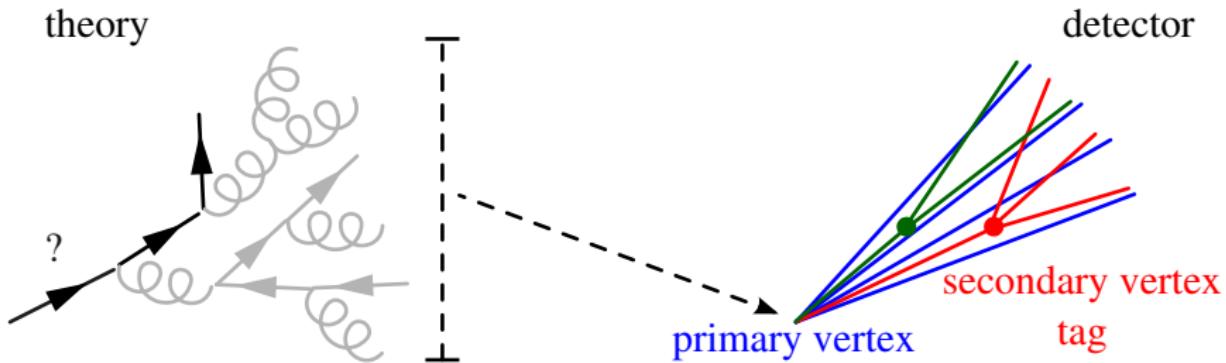
$k = -2$

- Cambridge/Aachen considers only geometry
- $k_t$  and anti- $k_t$  also consider momentum
- anti- $k_t$  provides circular jets in  $R$  at high- $p_T$

# Tagging a Jet

*LHCb, JINST 10 (2015) P06013*

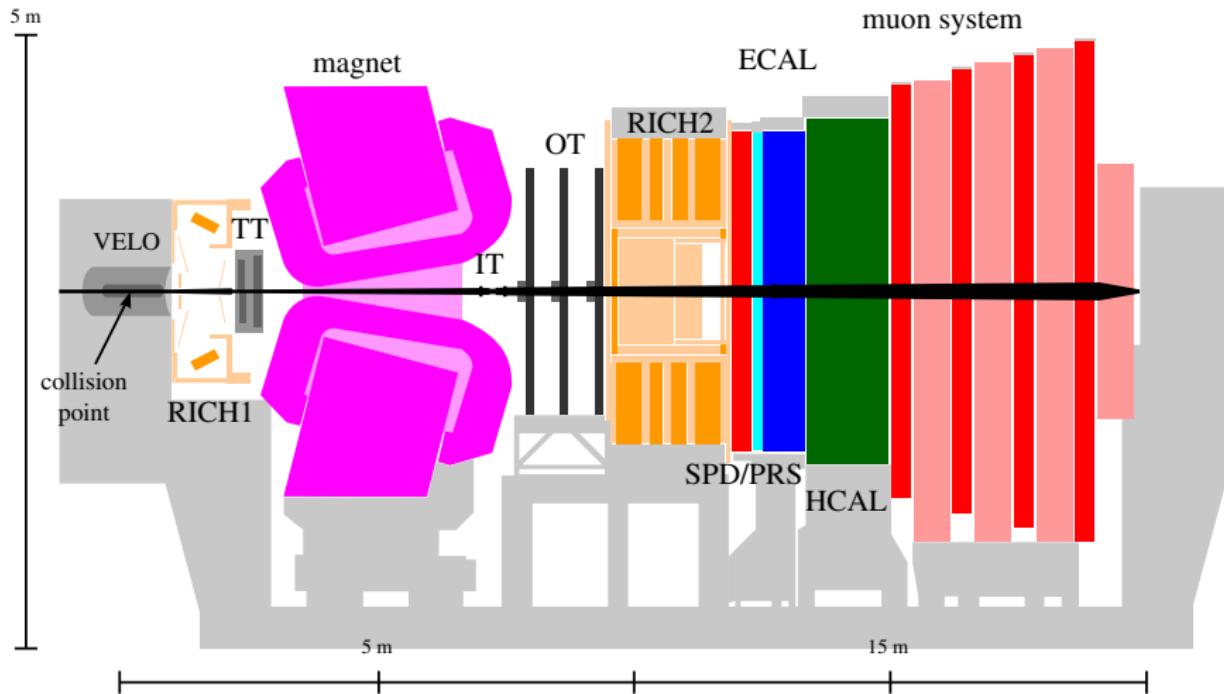
# From Theory to Detector



- jet properties depend on initiating parton

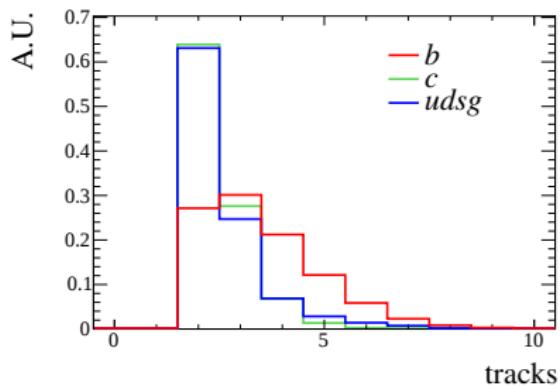
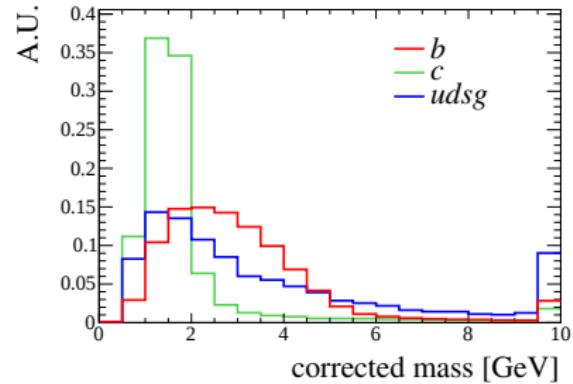
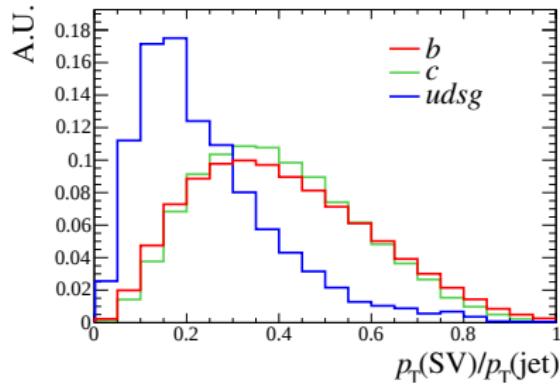
	<i>c</i> -hadron	<i>b</i> -hadron
mass	2 GeV	5 GeV
lifetime ( $c\tau$ )	0.1 mm	0.5 mm
multiplicity	$\approx 2$	$\approx 3$

# Enter LHCb

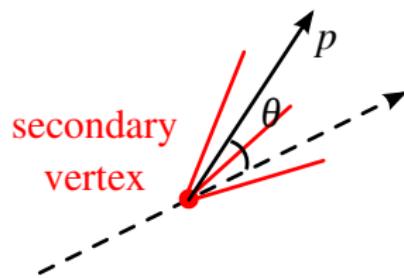


- ① good momentum and mass resolution
- ② excellent secondary vertex resolution

# Tagging Ingredients

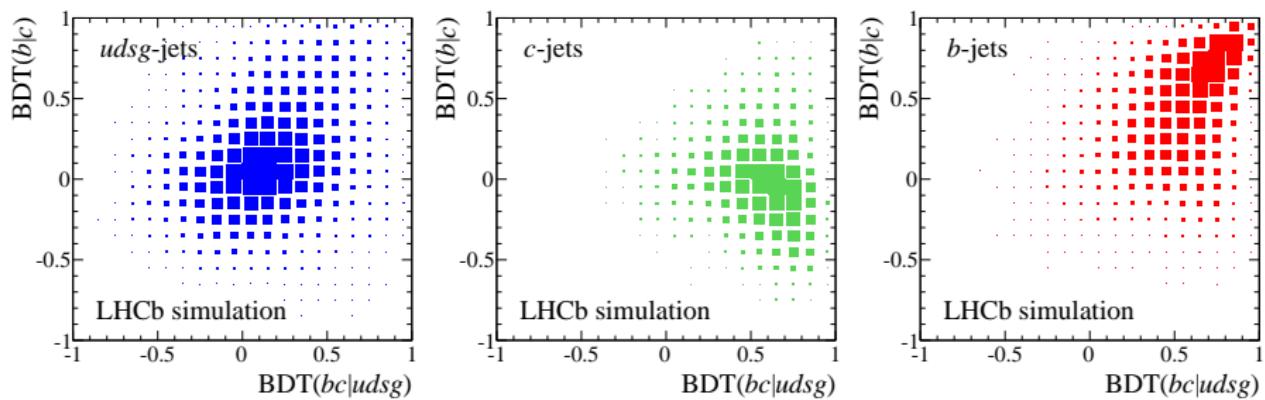


$$M_{\text{cor}} = \sqrt{M^2 + p^2 \sin^2 \theta + p \sin \theta}$$

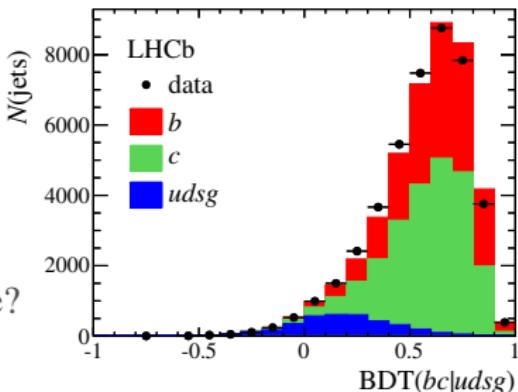
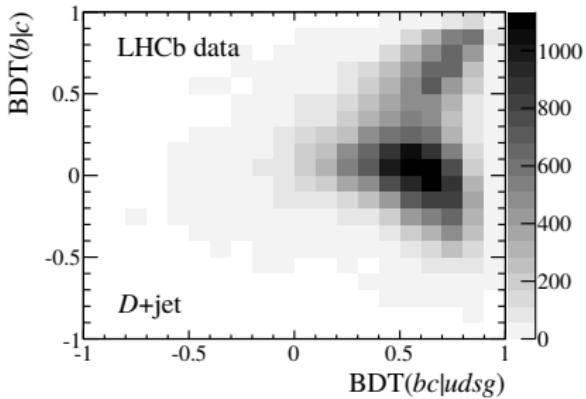
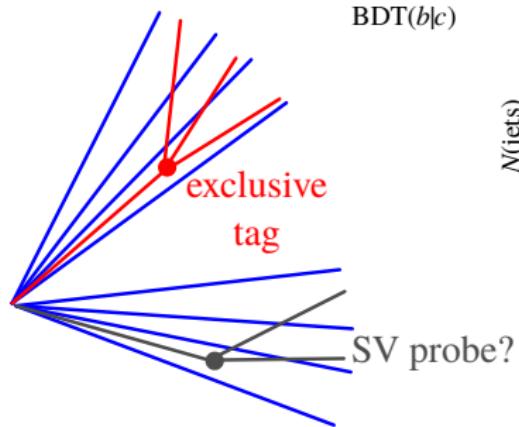
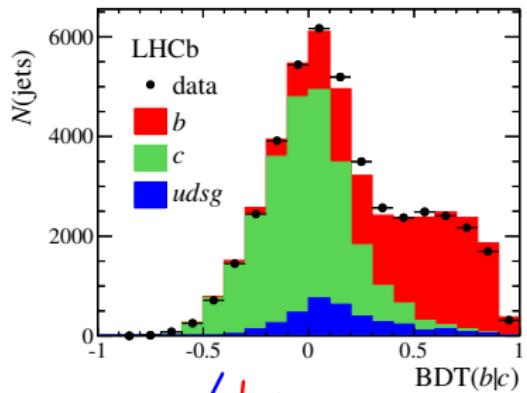


# A Pinch of Machine Learning

- 10 total observables (3 jet related) input to boosted decision trees
- two BDTs:  $udsg$  vs.  $cb$  and  $c$  vs.  $b$
- fit 2-dimensional distribution of the two BDTs



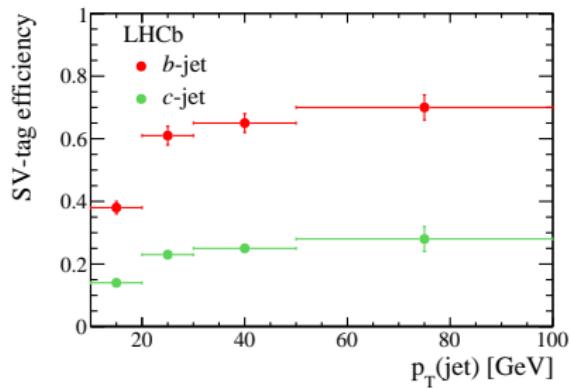
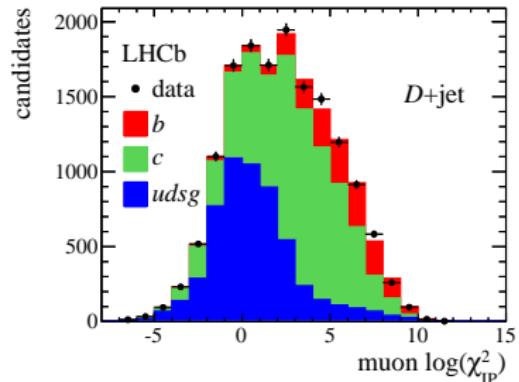
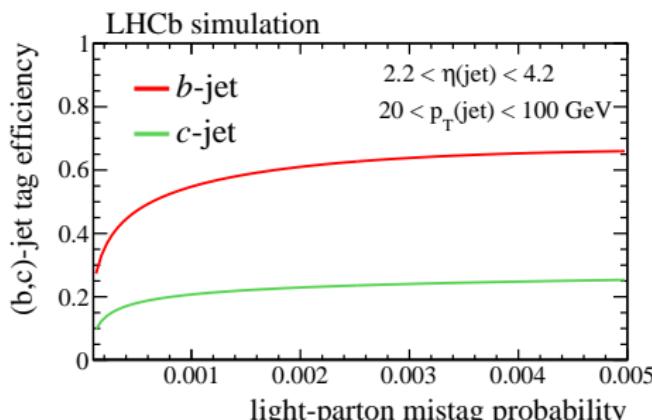
# Tag and Probe



# Efficiencies

$$\frac{N(\text{probe SV})}{N(\text{total})}$$

- $N(\text{probe SV})$  from BDT fit
- $N(\text{total})$  from hardest  $\chi^2_{\text{IP}}$  fit



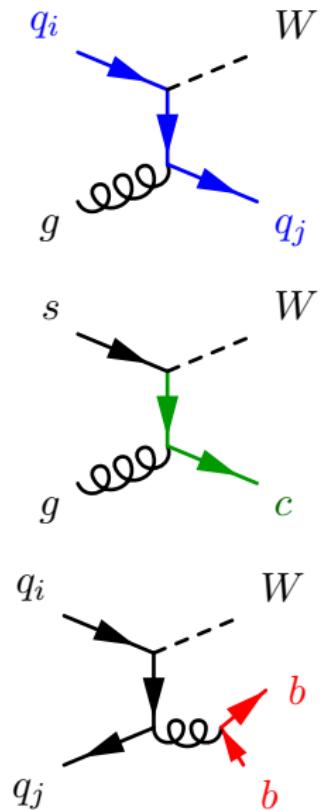
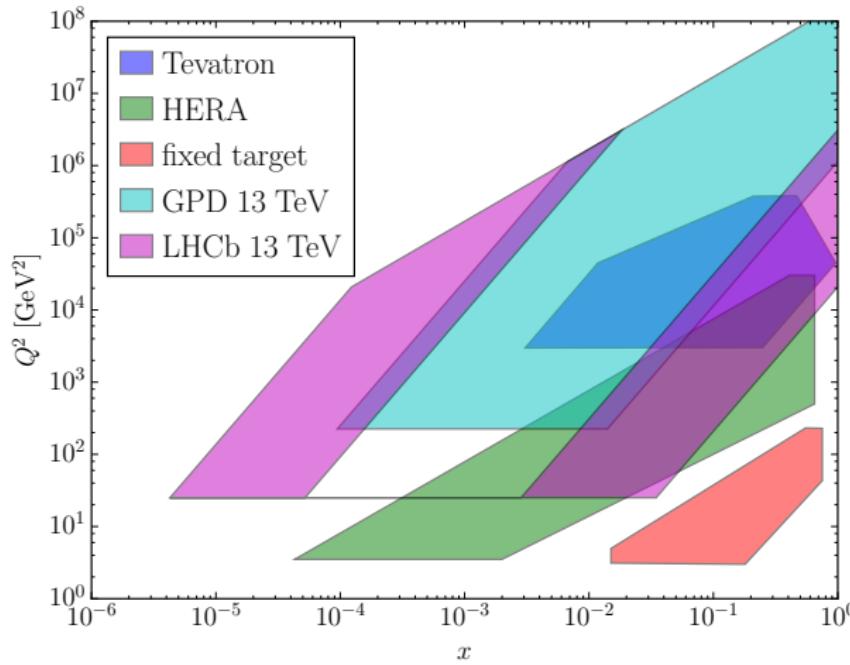
# Vector Boson with a Jet

*LHCb, Phys. Rev. D 92 (2015)*

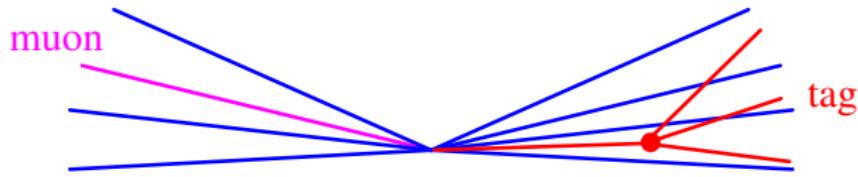
*LHCb, Phys. Rev. Lett. 115 (2015)*

*Boettcher, Ilten and Williams,  
Phys. Rev. D 93 (2016)*

# Probing the Proton

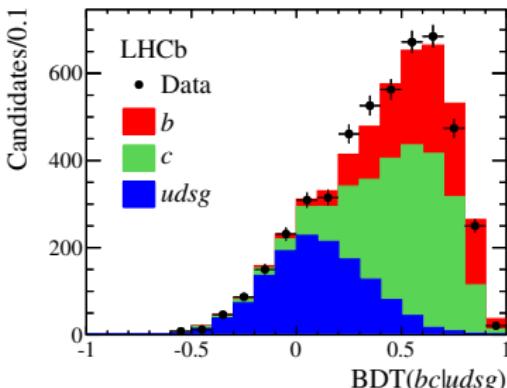
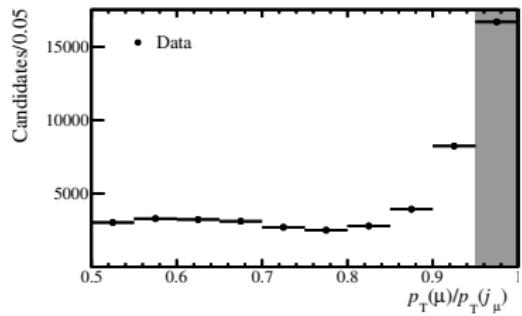
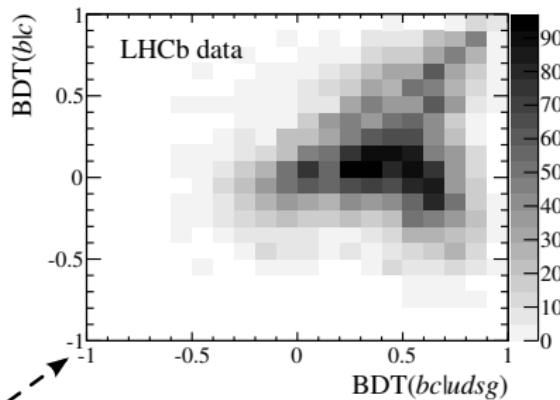
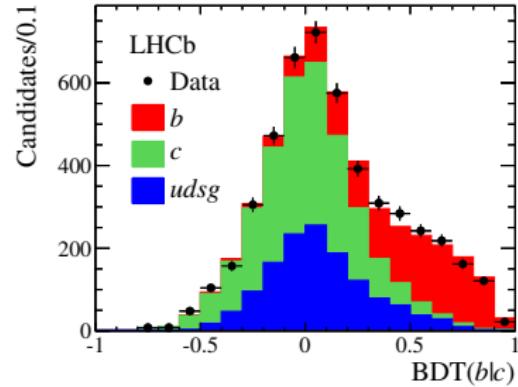


# $W$ with a Jet

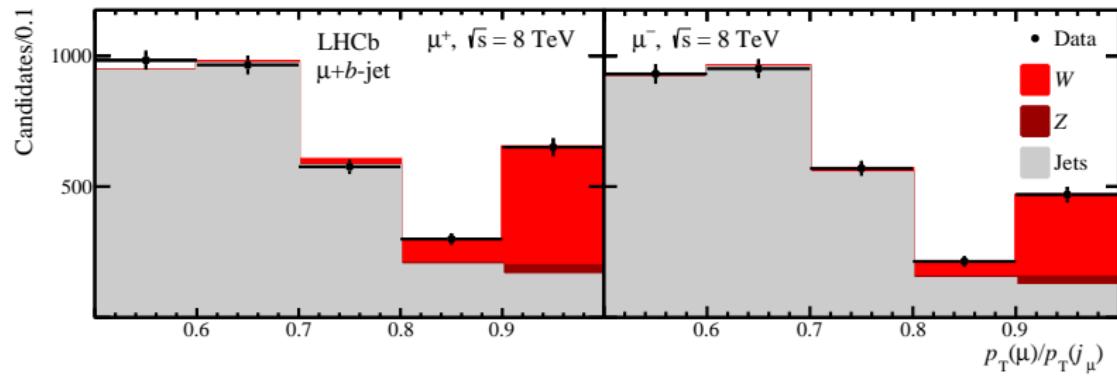
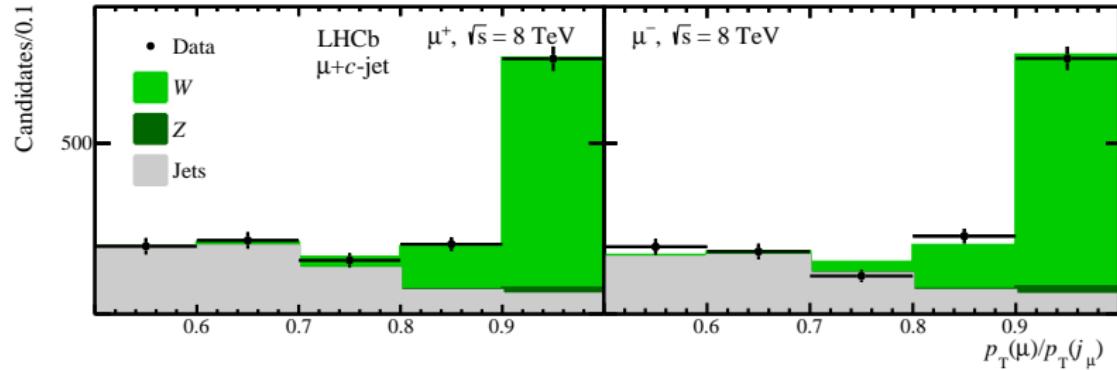


- ① trigger on a high  $p_T$  muon
- ② build jets in the event
- ③ require jet containing muon  $j_\mu$  and tagged jet  $j$
- ④ bin data as a function of isolation,  $p_T(\mu)/p_T(j_\mu)$
- ⑤ determine flavour in each isolation bin with BDT fit
- ⑥ fit isolation to determine signal

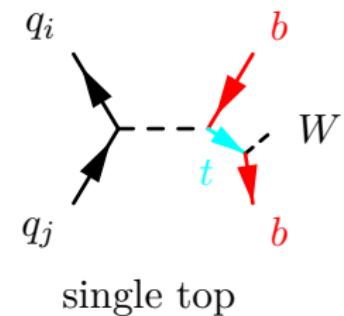
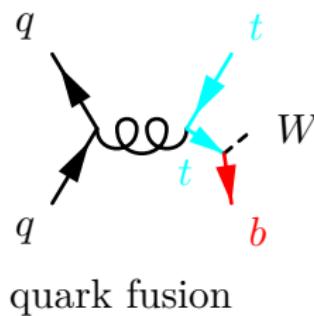
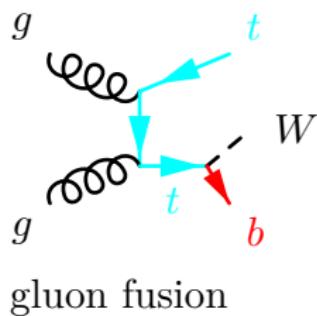
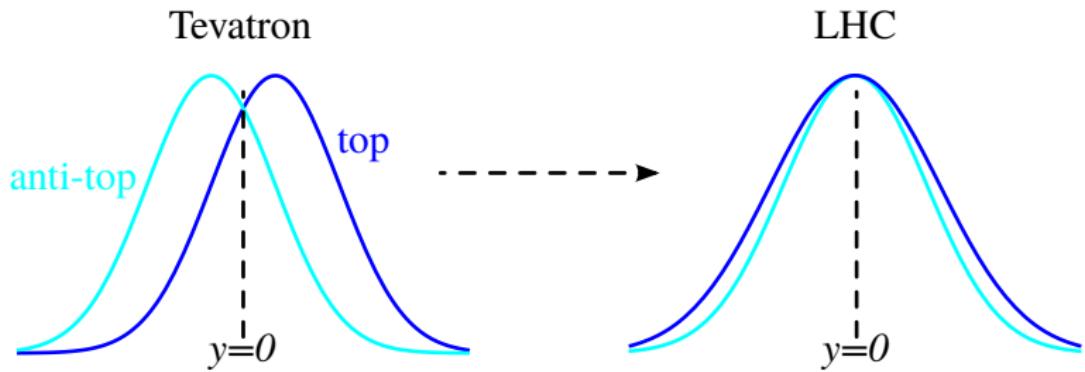
# Flavour Determination



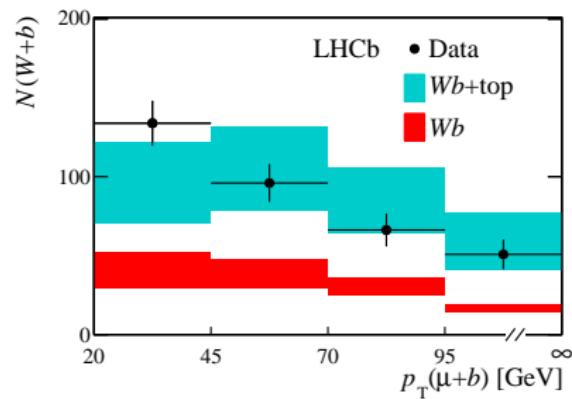
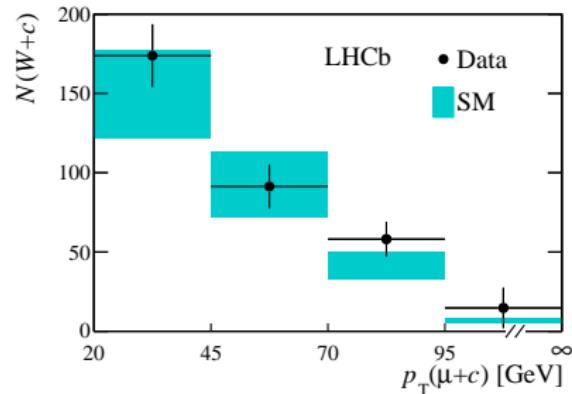
# Signal Determination



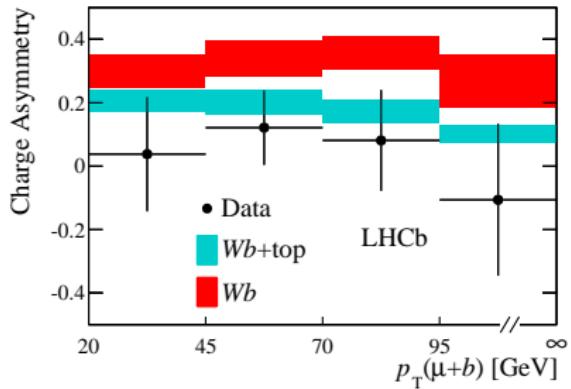
# Topping the $W$



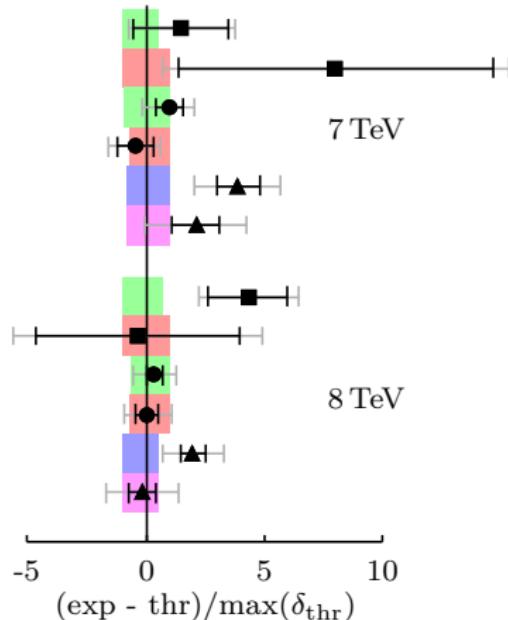
# A Tricky Background



- constrain  $Wb$  with  $Wj$
- scale with  $Wb/Wj$  theory
- validate with  $Wc$

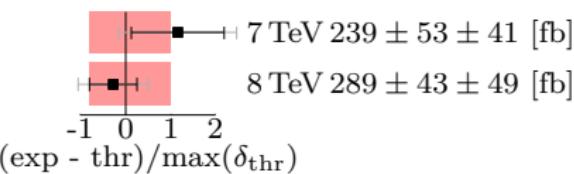


# Putting Everything Together

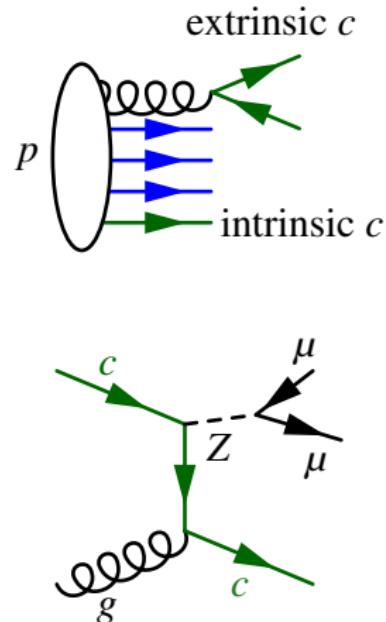
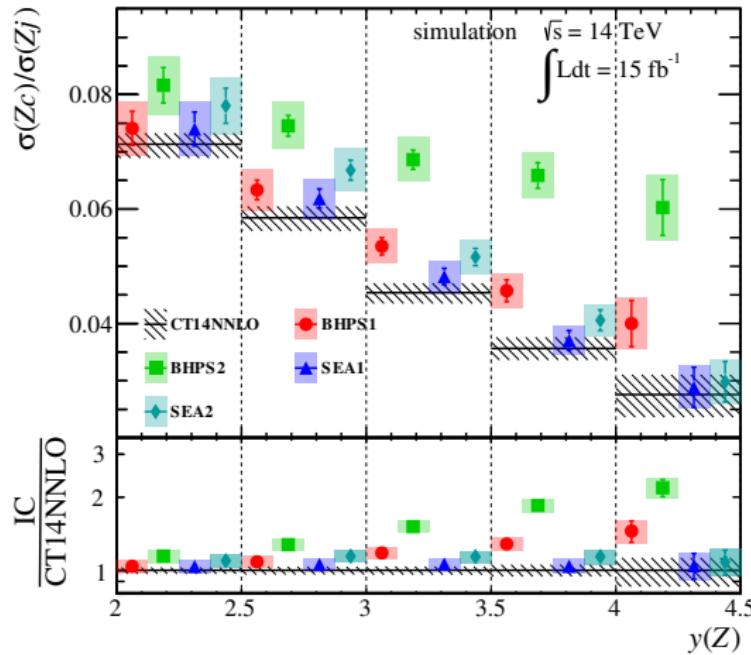


$-0.09 \pm 0.08 \pm 0.04$	$\mathcal{A}(W_c)$
$0.51 \pm 0.20 \pm 0.09$	$\mathcal{A}(W_b)$
$5.80 \pm 0.44 \pm 0.75$	$\sigma(W_c)/\sigma(W_j) \times 10^2$
$0.66 \pm 0.13 \pm 0.13$	$\sigma(W_b)/\sigma(W_j) \times 10^2$
$6.61 \pm 0.19 \pm 0.33$	$\sigma(W^-j)/\sigma(Zj)$
$10.49 \pm 0.28 \pm 0.53$	$\sigma(W^+j)/\sigma(Zj)$

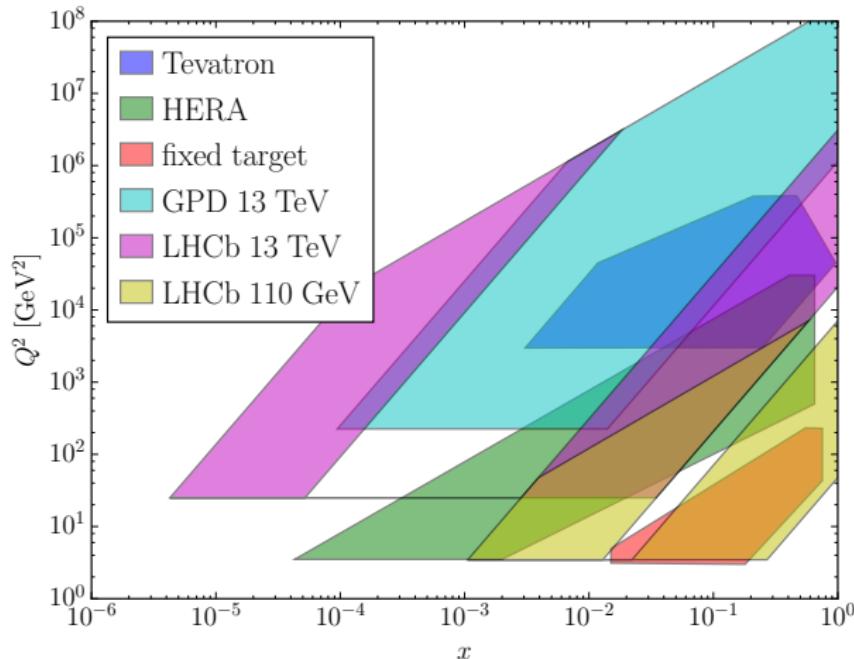
$-0.01 \pm 0.05 \pm 0.04$	$\mathcal{A}(W_c)$
$0.27 \pm 0.13 \pm 0.09$	$\mathcal{A}(W_b)$
$5.62 \pm 0.28 \pm 0.73$	$\sigma(W_c)/\sigma(W_j) \times 10^2$
$0.78 \pm 0.08 \pm 0.16$	$\sigma(W_b)/\sigma(W_j) \times 10^2$
$6.02 \pm 0.13 \pm 0.30$	$\sigma(W^-j)/\sigma(Zj)$
$9.44 \pm 0.19 \pm 0.47$	$\sigma(W^+j)/\sigma(Zj)$



# Intrinsic Charm



# Bonus Intrinsic Charm

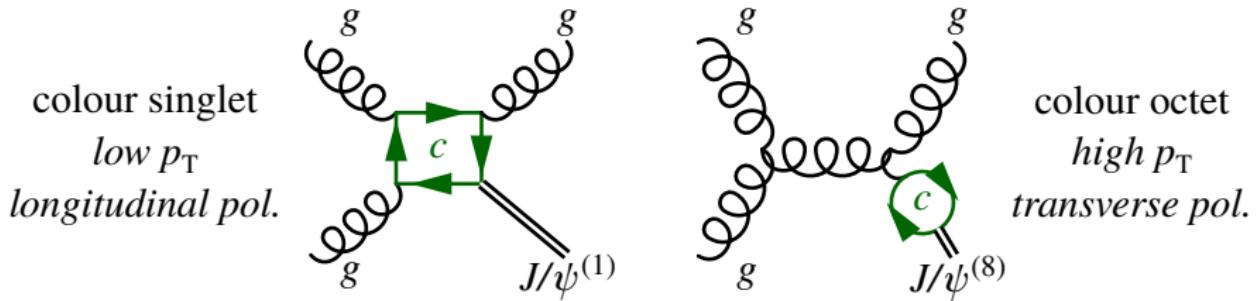
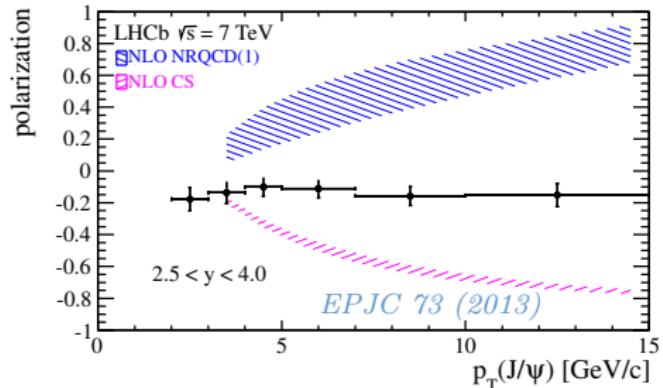
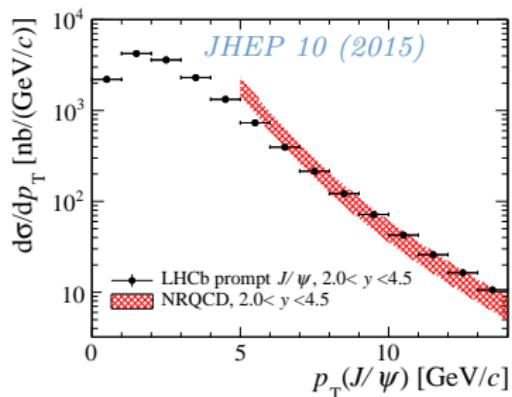


type	time
<i>p</i> Ne	30m
PbNe	30m
<i>p</i> Ne	12h
<i>p</i> He	7h
<i>p</i> Ar	20h
<i>p</i> Ar	11h
PbAr	100h
<i>p</i> He	20h
<i>p</i> He	87h

# $J/\psi$ in a Jet

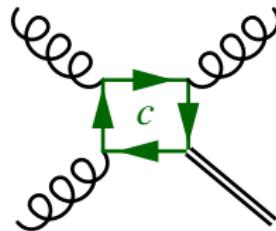
*LHCb, Phys. Rev. Lett. 118 (2017)*

# The Polarization Puzzle

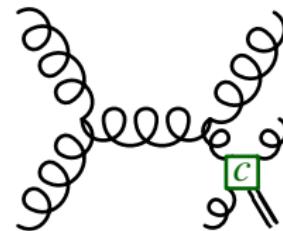


# A Tale of Two Pictures

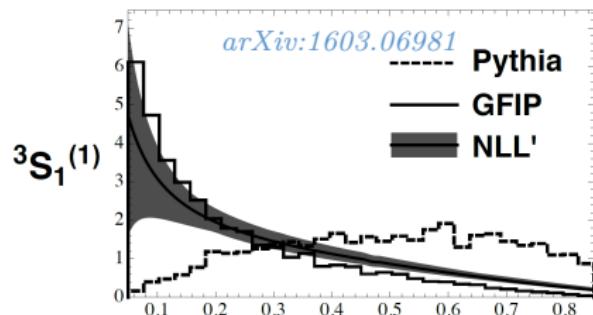
- ① NRQCD hard process, octet states showered with QCD splittings
- ② shower with NRQCD splittings, match with hard process



hard production



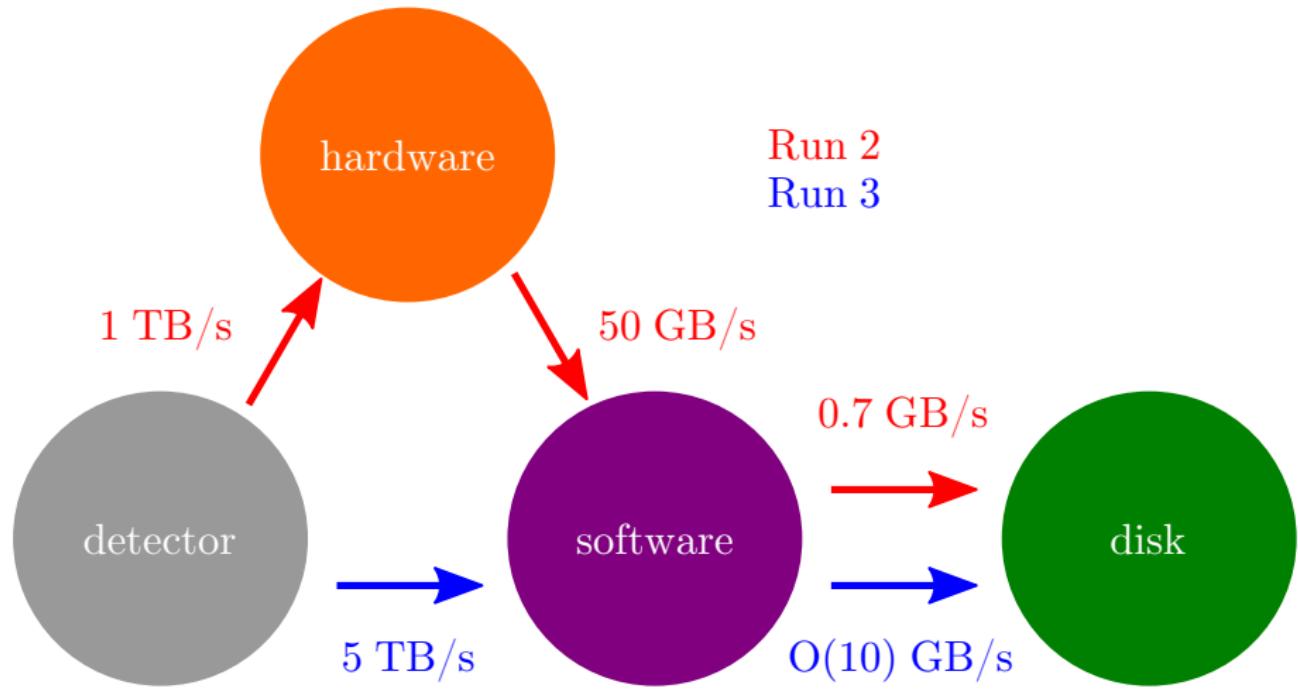
shower production



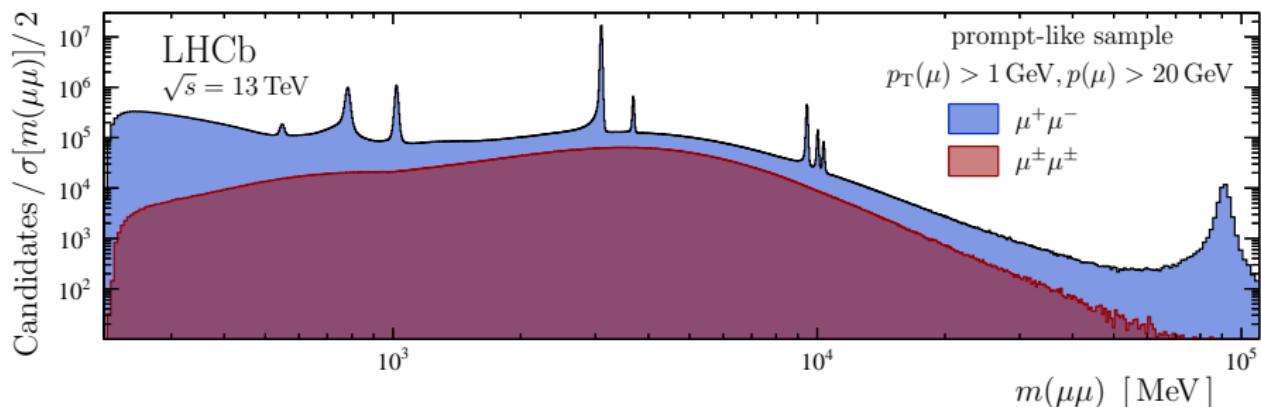
- build  $J/\psi \rightarrow \mu\mu$  candidates
- build jets with  $J/\psi$  input
- select jets with  $J/\psi$ s
- $z \equiv p_T(J/\psi)/p_T(\text{jet})$

# LHCb Trigger

- real-time calibration and full event reconstruction in Run 2
- full detector readout in Run 3

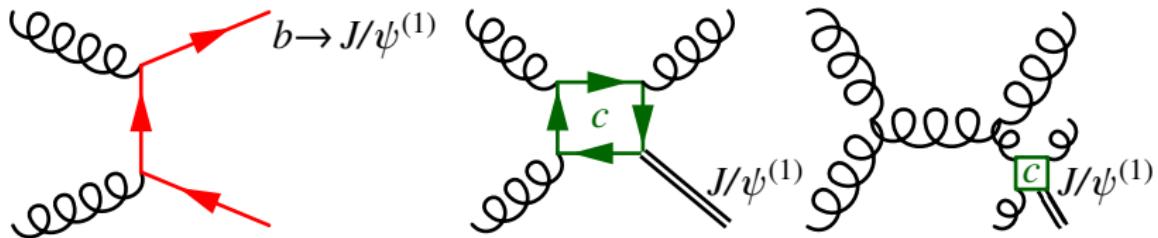


# Dimuon Trigger

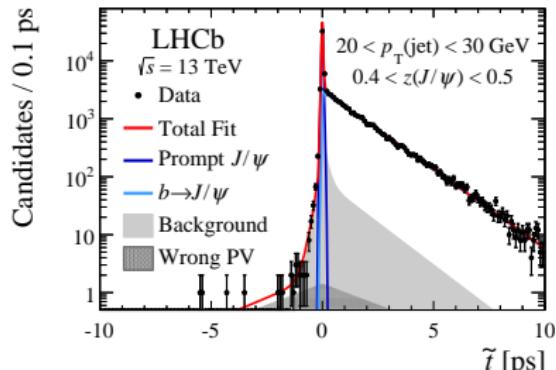
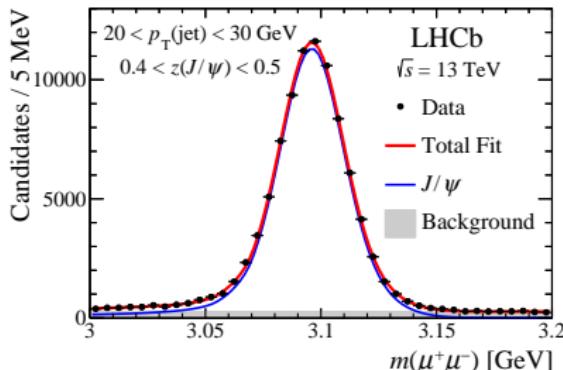


- fully reconstructed event written to disk, including particle flow
- jets can be fully reconstructed, sans hadronic calorimetry

# Prompt and Displaced

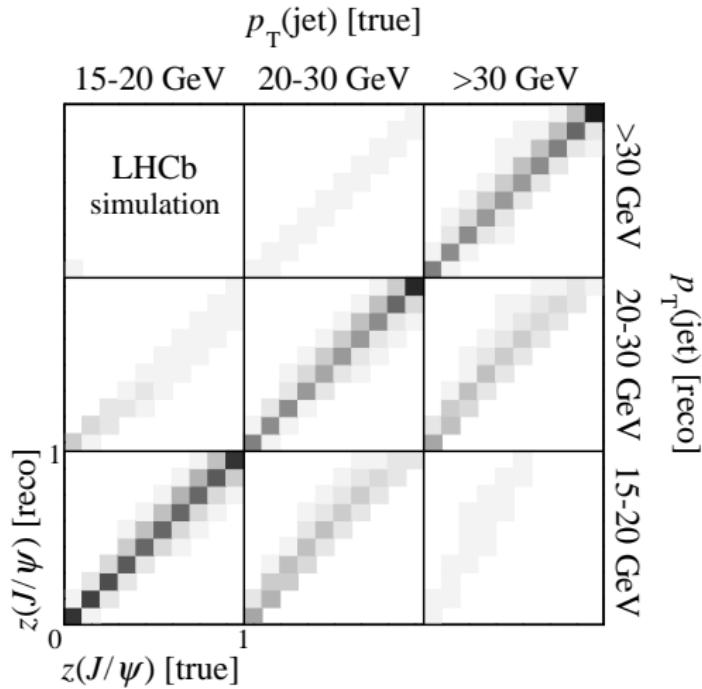


- determine  $J/\psi$  signal yield with mass fits
- separate prompt (direct) from displaced ( $b \rightarrow J/\psi$ ) yields with pseudo-lifetime fits,  $\tilde{\tau} \equiv (x_z - x_z(\text{PV}))m/p_z$

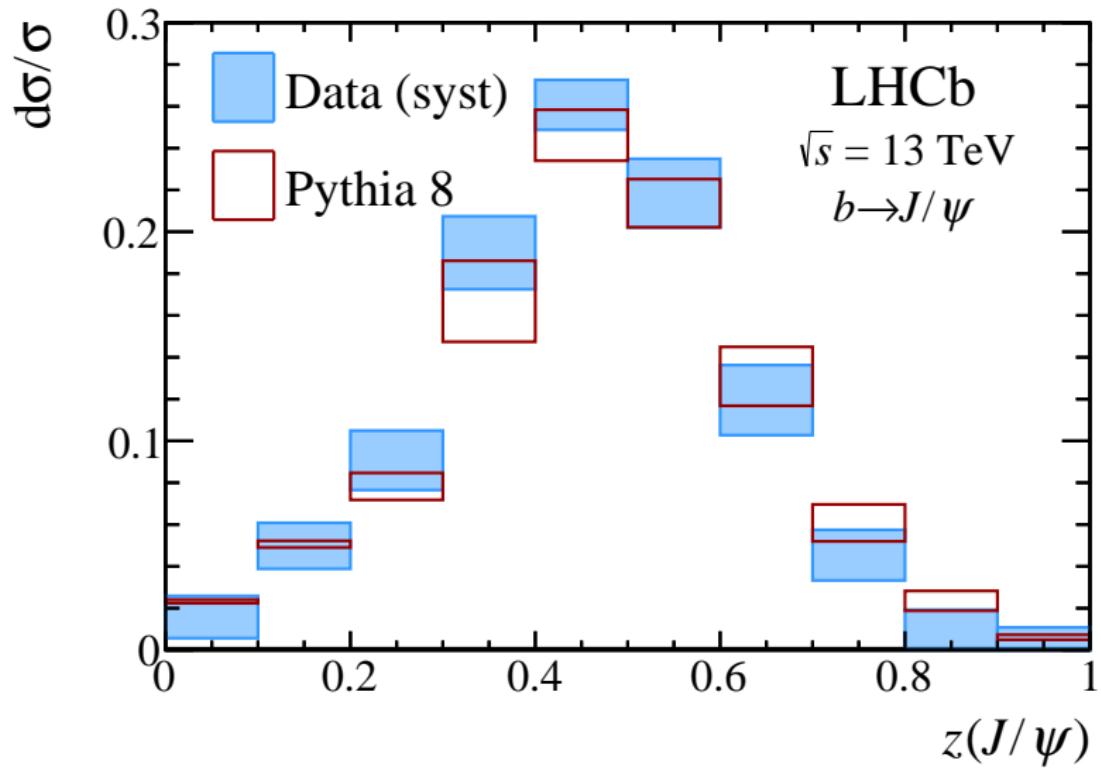


## Unfolding

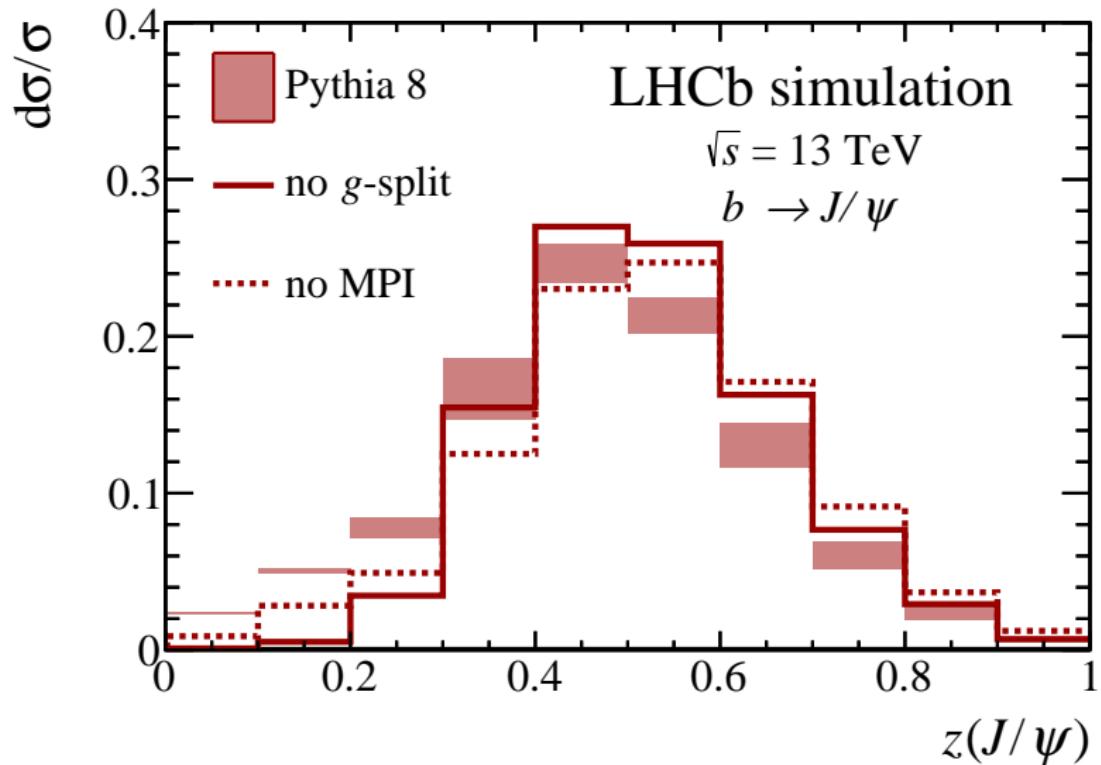
- correct for  $z$  resolution and  $p_T(j)$  resolution,  $\approx 20 - 25\%$
- perform 2D unfolding in  $z$  and  $p_T(j)$  (iterative D'Agostini)



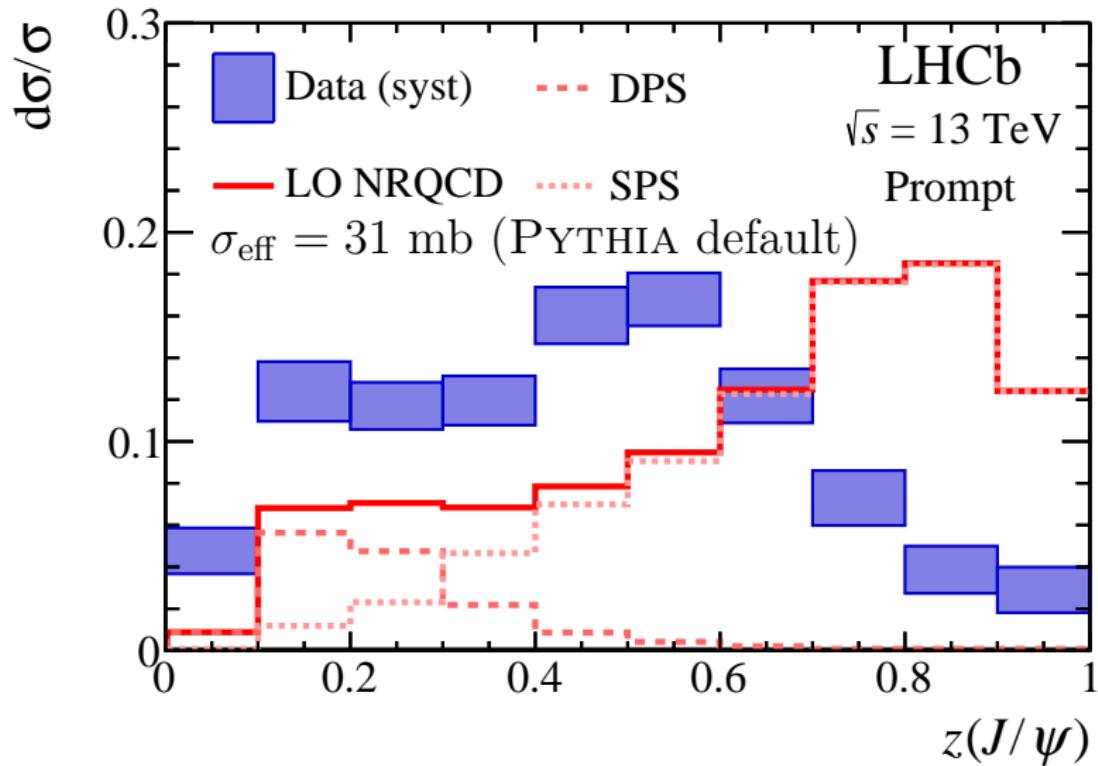
## Displaced Results



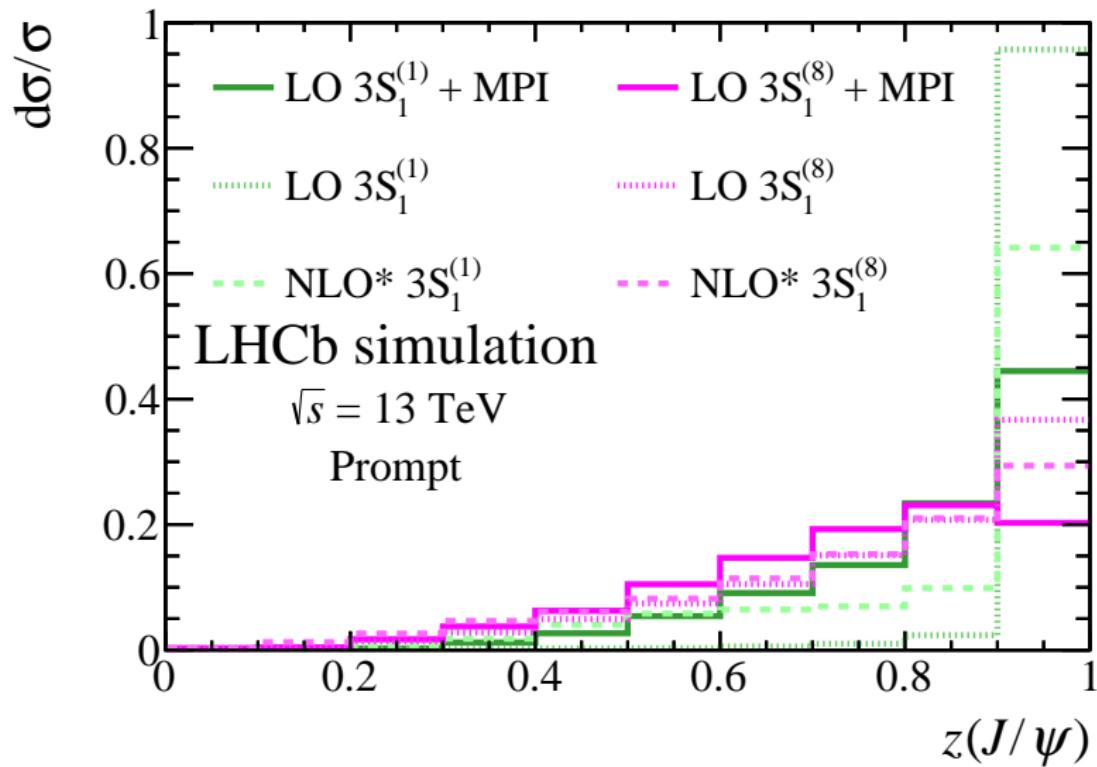
## Displaced Results



## Prompt Results



## Prompt Results

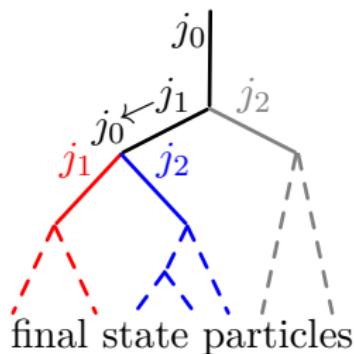


# Jets in a Jet?

*Ilten, Rodd, Thaler and Williams,  
Phys. Rev. D 96 (2017)*

# SoftDrop and Jet Sub-structure

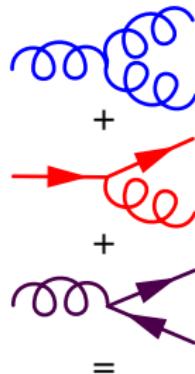
- what happens with boosted topology when  $Q_{\text{hard}} \gg Q_{\text{obs}}$ ,  
e.g.  $W, Z, H \rightarrow q\bar{q}$ ?
- anti- $k_t$  produces a single jet  $\rightarrow$  need jet sub-structure
- use jet sub-structure technique like SoftDrop



$$\frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}} > z_{\text{cut}} \left( \frac{\Delta R_{12}}{R} \right)^\beta$$

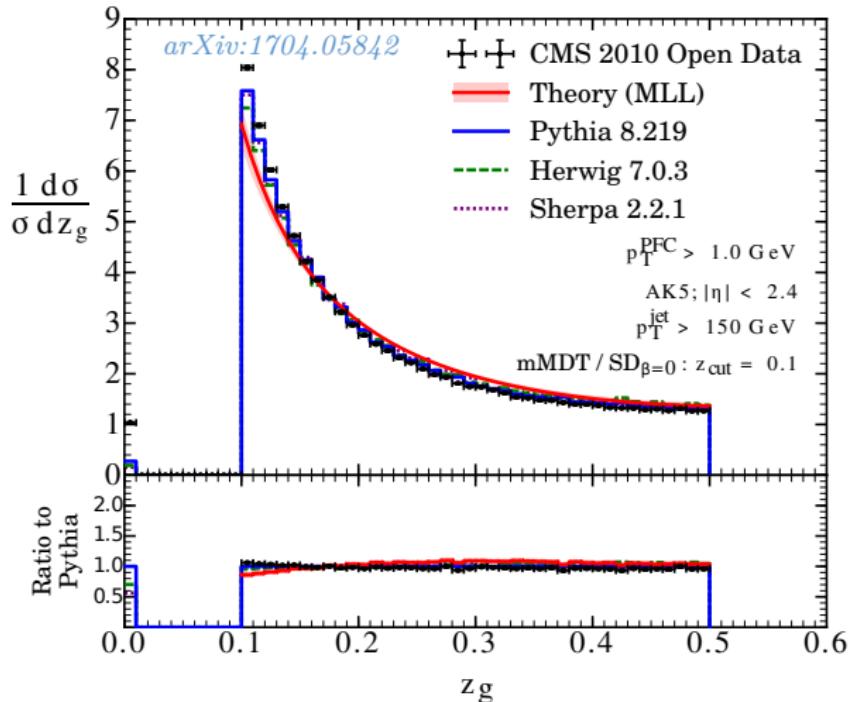
- ➊ create fat anti- $k_t$  jets
- ➋ build Cambridge/Aachen tree for each fat jet
- ➌ split  $j_0$  into sub-jets  $j_1$  and  $j_2$
- ➍ if  $j_1$  and  $j_2$  fulfil SoftDrop condition, terminate
- ➎ otherwise, assign  $j_0$  to larger  $p_T$  sub-jet and return to ➌

# Averaged Massless Splittings



$$\frac{1-z}{z} + \frac{z}{1-z} + \frac{1}{2}$$

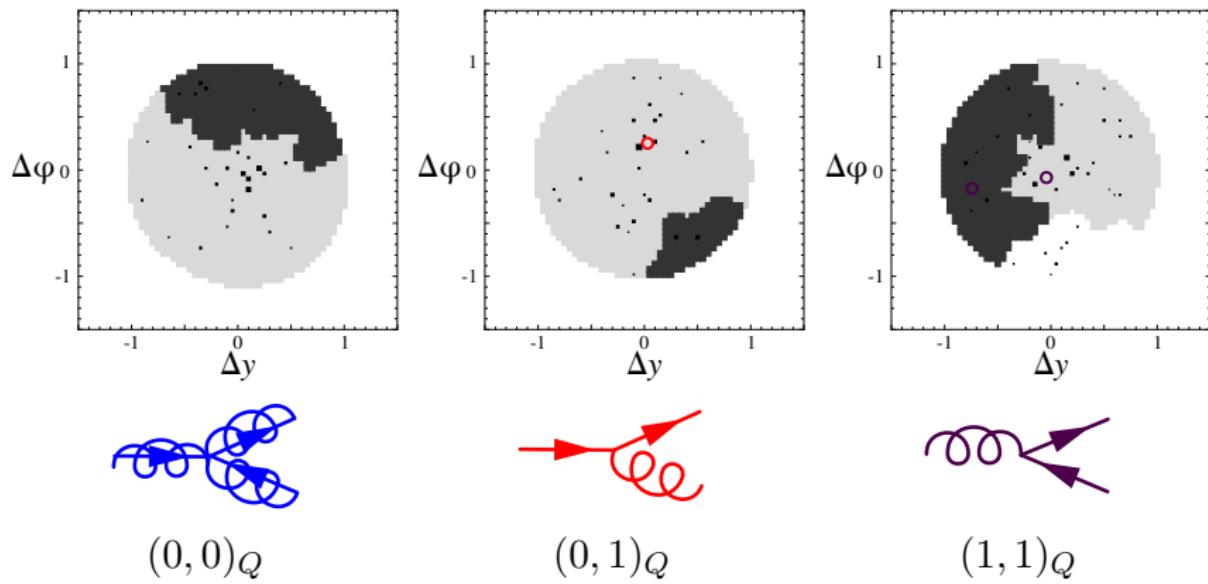
$$z_g \equiv \frac{p_{T1}}{p_{T1} + p_{T2}}$$



- SoftDrop provides direct access to the hardest  $1 \rightarrow 2$  splitting

# Jet Anatomy

- ① find all tags in event and treat as *ghosts*
- ② build anti- $k_t$  jets with  $R = 1$ , including tags
- ③ apply SoftDrop with  $z_{\text{cut}} > 0.1$  and  $\beta = 0$
- ④ consider sub-jet tagged if  $p_T^{\text{tag}} / (p_{T1} + p_{T2}) > 0.05$



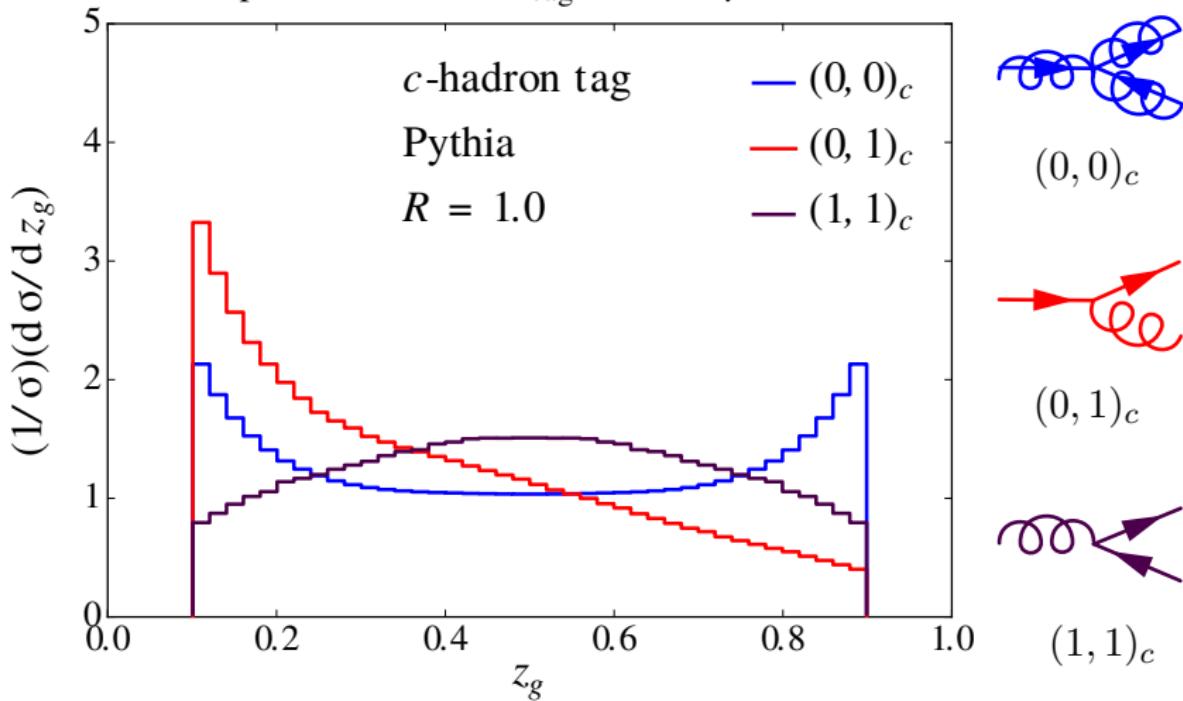
# Some Numbers

	$\sigma(\text{PYTHIA}) [\mu\text{b}]$	$\sigma(\text{HERWIG}++) [\mu\text{b}]$
$(0, 0)_c$	$9.96 \times 10^2$	$5.28 \times 10^2$
$(0, 1)_c$	$7.56 \times 10^1$	$2.64 \times 10^1$
$(1, 1)_c$	$6.87 \times 10^0$	$2.87 \times 10^0$
$(0, 2)_c$	$1.00 \times 10^1$	$5.64 \times 10^0$
other <sub>c</sub>	$8.86 \times 10^{-1}$	$2.47 \times 10^{-1}$
<hr/>		
$(0, 0)_b$	$1.07 \times 10^3$	$5.52 \times 10^2$
$(0, 1)_b$	$1.34 \times 10^1$	$9.58 \times 10^0$
$(1, 1)_b$	$8.40 \times 10^{-1}$	$5.03 \times 10^{-1}$
$(0, 2)_b$	$9.50 \times 10^{-1}$	$5.94 \times 10^{-1}$
other <sub>b</sub>	$1.13 \times 10^{-2}$	$7.75 \times 10^{-3}$

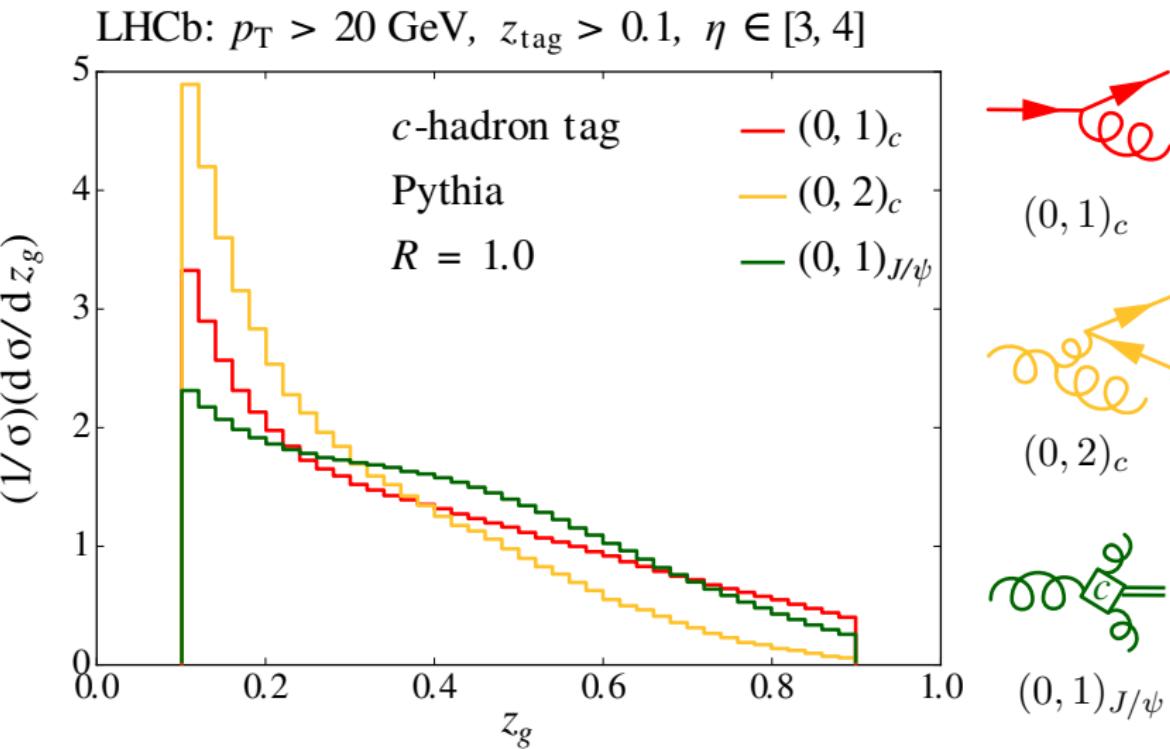
- missed tags migrate category up → minimal contamination
- efficiency of tagging well understood from data

# Heavy Flavour Splittings

LHCb:  $p_T > 20 \text{ GeV}$ ,  $z_{\text{tag}} > 0.1$ ,  $\eta \in [3, 4]$

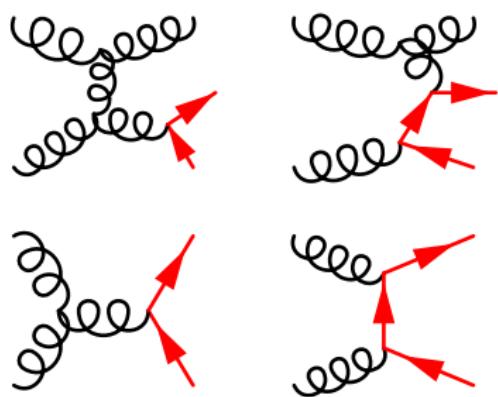
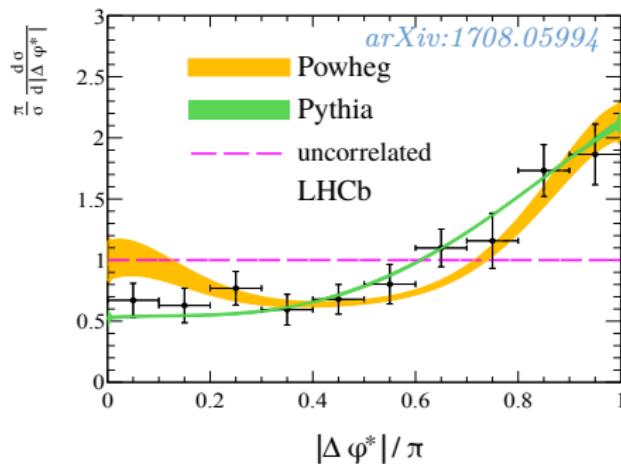


# Quarkonia Splitting



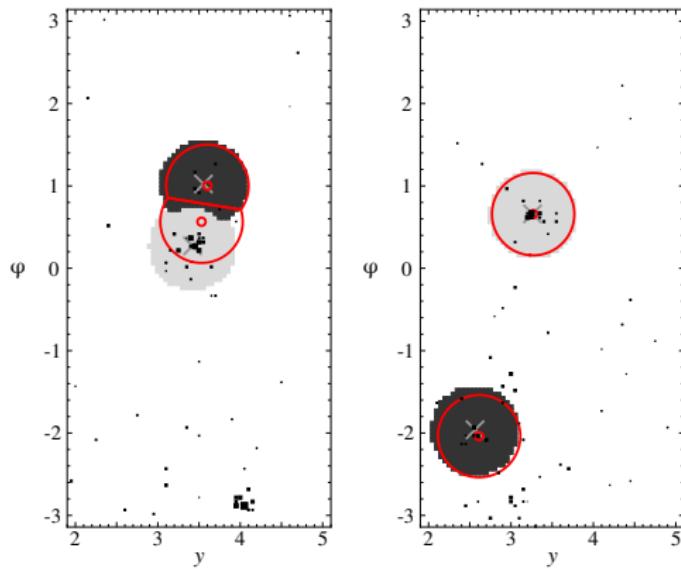
# Heavy Flavour Production

- understanding heavy flavour production critical for many signals
- two approaches typically taken
  - ① hadron-level: good angular properties, poor energy proxy
  - ② tagged jet-level: poor angular properties, good energy proxy



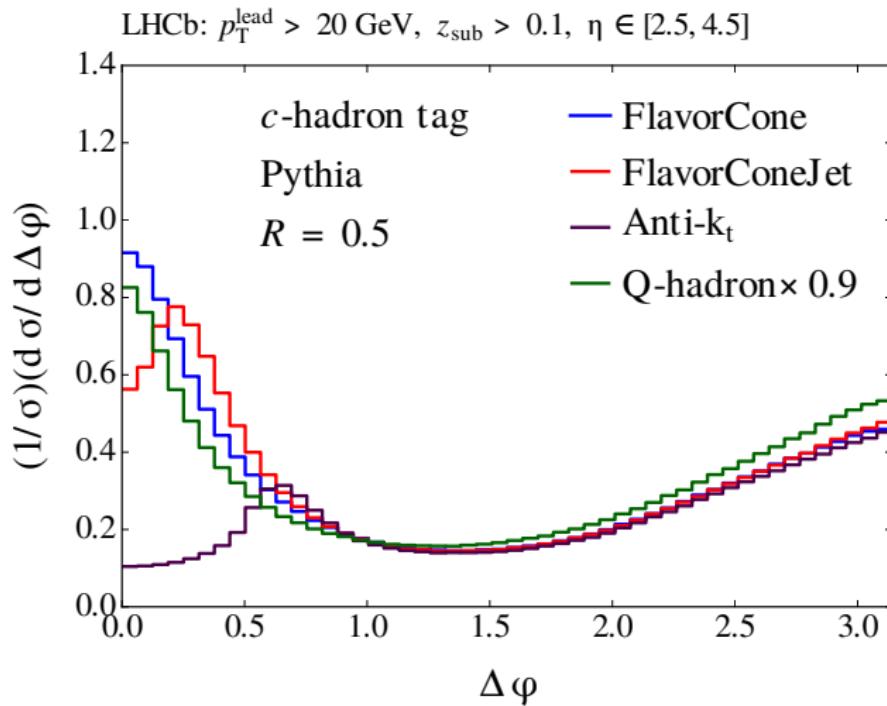
# FlavorCone

- good angular properties, good energy proxy
- collinear and infrared safe by jet-axis definition

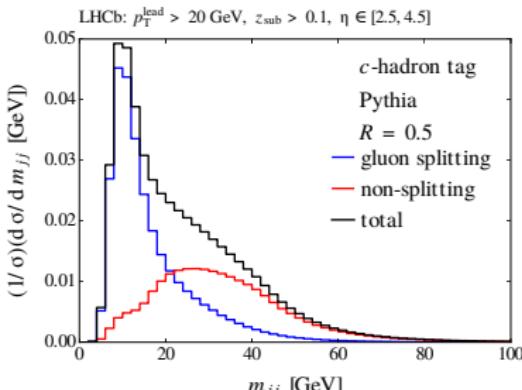
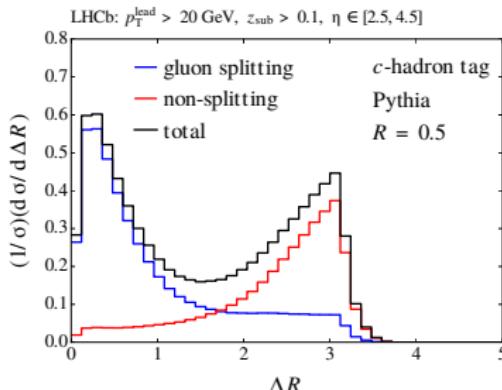
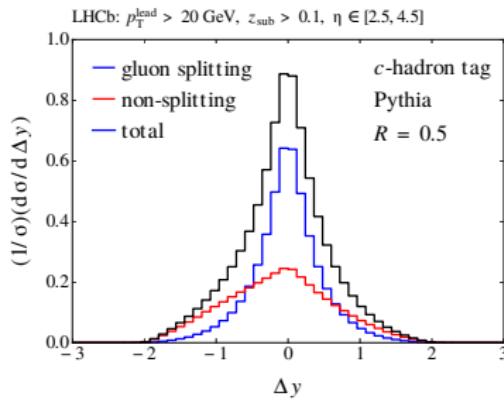
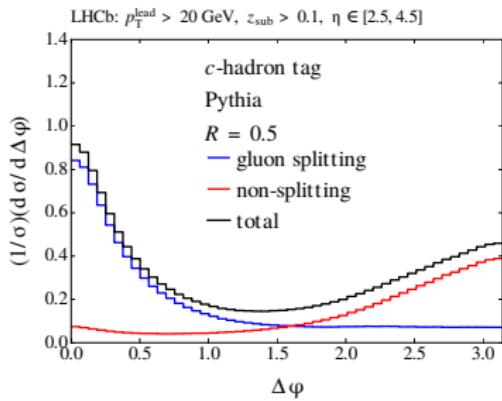


- ➊ given  $n$  tags define  $n$  jet-axes
- ➋ particles outside of  $R$  with an jet-axis is not clustered
- ➌ remaining particles are clustered with nearest axis
- ➍ jet momenta is sum of constituents

# Comparison



# Variable Discrimination



# Outlook

- LHCb's tagging capabilities provide a unique probe of QCD
  - valence and strange quark PDFs
  - top asymmetry
  - intrinsic charm
  - NRQCD in the context of jets
- SoftDrop allows access to fundamental  $1 \rightarrow 2$  QCD splittings
- FlavorCone provides both good angular and energy properties for studying  $Q\bar{Q}$  production

Thank you!